

Leyan Series
IN
Mathematics

Final Revision

Four Primary Stage

First term (2017 – 2018)

Prepared By /

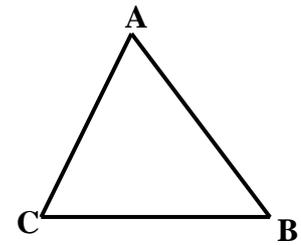
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Triangles

Triangle : is a polygon consisting of three line segment .

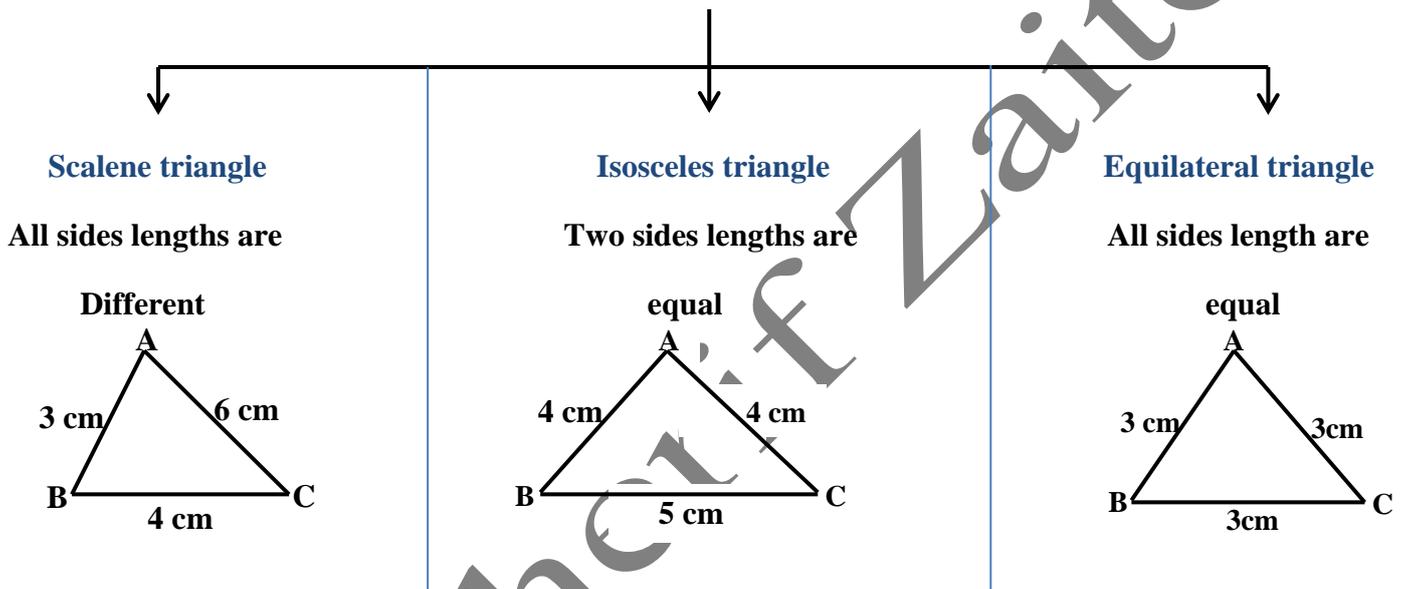
Any triangles have three angles , three sides and three vertices .



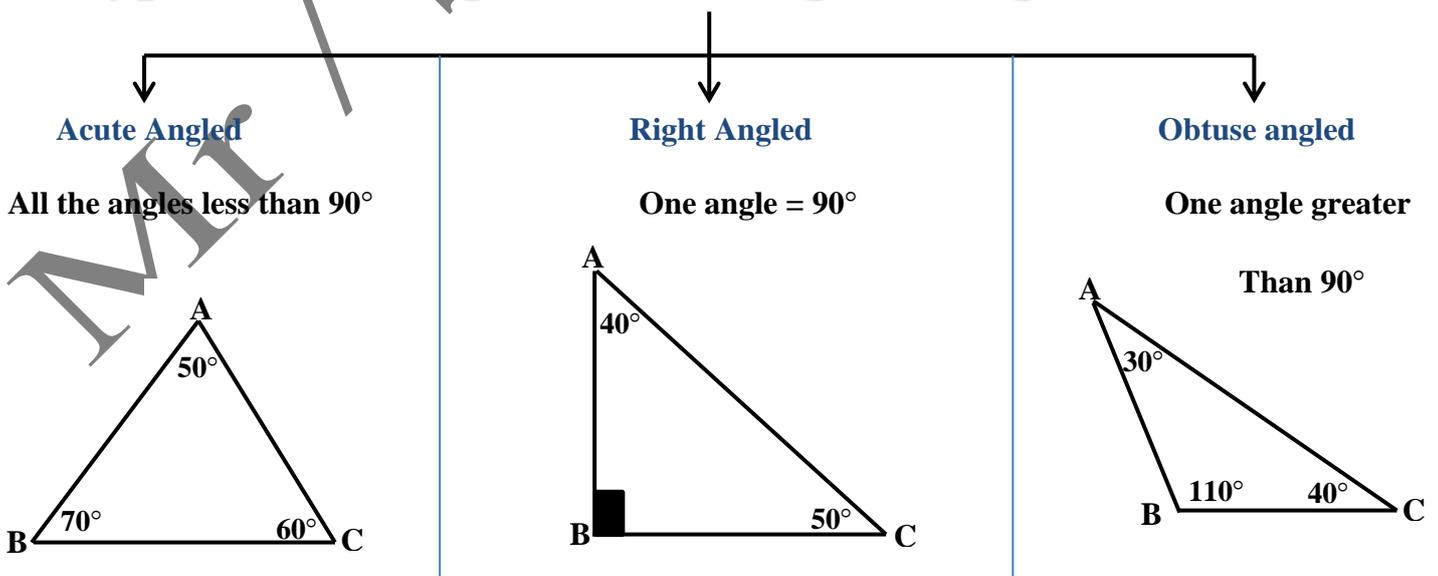
Three Angles $\angle A$, $\angle B$, $\angle C$,, ,, Three Sides \overline{AB} , \overline{BC} , \overline{AC}

Three Vertices A , B , C

Types Of Triangles According its sides lengths



Types Of Triangles According its Angles measures



In Any triangles there are **at least Two acute angles** .

The sum of the measures of the interior angles of Any triangle = **180°**

Polygons

Polygon : It is a closed shape consisting of three line segment or more .

The Name of the polygon is naming according to the number of its sides .

For Any Polygon

The number of its vertices = The number of its sides = The number of its angles

The Diagonal : It's a line segment joining between two non

Consecutive points . Like \overline{BD}



Figure name	Sides	Angles	Diagonals	Drawing
<i>Parallelogram</i>	(1) Each two opposite sides are equal in length . (2) Each two opposite sides are Parallel		(1) The two diagonals are bisects each other .	
<i>Rectangle</i>	(1) Each two opposite sides are equal in length . (2) Each two opposite sides are Parallel .	(1) All the angles are equal in measures , and Each angle = 90°	(1) The two diagonals are bisects each other . (2) The two diagonals are equal in length .	
<i>Square</i>	(1) All sides are equal in length . (2) Each two opposite sides are Parallel .	(1) All the angles are equal in measures , and Each angle = 90°	(1) The two diagonals are bisects each other . (2) The two diagonals are equal in length . (3) the two diagonals Perpendicular (orthogonal)	
<i>Rhombus</i>	(1) All sides are equal in length . (2) Each two opposite sides are Parallel .		(1) The two diagonals are bisects each other . (2) the two diagonals Perpendicular (orthogonal)	
<i>Trapezium</i>	It's a quadrilateral Two opposite sides are parallel and the two other not .			

The perimeter of a square = side length \times 4

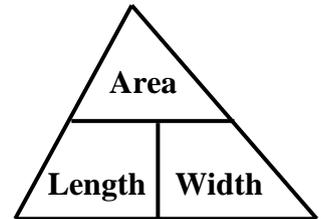
The Area of a square = side length \times side length

$$\text{Side length} = \frac{\text{perimeter of square}}{4}$$

The perimeter of a rectangle = (length + width) \times 2

Half The perimeter of a rectangle = (length + width)

The Area of a rectangle = length \times width



Example (1) Find the perimeter of a square its side length = 5 cm .

The perimeter of a square = side length \times 4

The perimeter of a square = $5 \times 4 = 20$ cm .

Example (2) Find the Side length of a square its perimeter = 28 cm

$$\text{Side length} = \frac{\text{perimeter of square}}{4} = \frac{28}{4} = 7 \text{ cm}$$

Example (3) Find the Area of a square its side length = 7 cm

The Area of a square = side length \times side length = $7 \times 7 = 49$ cm²

Example (4) Find the side length of a square its Area = 81 cm²

The Area of a square = side length \times side length = 81 = side length \times side length

Side length = 9 cm

Example (5) Find the perimeter of a rectangle its length = 5 cm and width = 3cm .

The perimeter of a rectangle = (length + width) \times 2 = (5 + 3) \times 2 = 16 cm

Example (6) Find the length of a rectangle its perimeter = 18 cm and width = 3cm .

Half The perimeter of a rectangle = (length + width)

$$9 = \text{Length} + 3 \quad \text{,,,,,,} \quad \text{Length} = 6 \text{ cm}$$

Example (7) Find the Width of a rectangle its perimeter = 20 cm and Length = 7cm .

Half The perimeter of a rectangle = (length + width)

$$10 = 7 + \text{Width} \quad \text{,,,,,,} \quad \text{Width} = 3 \text{ cm} .$$

Example (8) Find the Area of a rectangle its length = 7 cm and width = 4 cm .

The Area of a rectangle = length \times width = $7 \times 4 = 28$ cm²

Example (9) Find the length of a rectangle its Area = 45 cm and width = 5 cm .

Length of a rectangle = $\frac{Area}{width} = \frac{45}{5} = 9 \text{ cm}$, length = 9 cm

- * The smallest prime number is 2
- * The only even prime number is 2 or All the prime number is odd except 2
- * The common multiplies for all numbers is 0
- * The common Factor for all numbers is 1
- * The measure of the a cute angle is less than 90°
- * The measure of the right angle = 90°
- * The measure of the a obtuse angle is greater than 90°
- * The smallest number formed from 7 digits is million .
- * The smallest number formed from 10 digits is Billion or milliard .
- * The polygon that has 5 sides is Pentagon
- * The polygon that has 6 sides is Hexagon
- * The polygon that has 7 sides is Heptagon
- * The polygon that has 4 sides is quadrilateral
- * The number of the factors of prime number is 2 factors
- * The two intersection straight lines intersect at a point
- * The two perpendicular straight lines intersect at a point and formed Four right - angles and each angle = 90°
- * Find the H . C . F and The L . C . M for 12 , 30 and 60 . Factorize

$12 = 2 \times 2 \times 3$

$30 = 2 \times 3 \times 5$

$60 = 2 \times 2 \times 3 \times 5$

H . C . F = $2 \times 3 = 6$

L . C . M = $2 \times 3 \times 2 \times 2 \times 5 \times 5 = 600$

12	2	30	5	60	5
6	2	6	2	12	2
3	3	3	3	6	3
1		1		2	2
				1	

- * The three common multiplies of 2 and 3 is 0 , 6 , 18
- * The number that the factor of it 3 and 11 is 3 × 11 = 33

6 543 021	1	2	0	3	4	5	6		
Place Value	Units	tens	hundreds	thousands	Ten thousands	Hundred thousands	Millions		
Value	1	20	0	3 000	40 000	500 000	6 000 000		

- * The place value of the digit 8 in the number 8 214 356 is millions

* The value of the digit 6 in the number 8 236 189 is 6 000 or six thousand

9 351 264 078	5	3	9
Place Value	Ten millions	Hundred millions	Milliards or Billions
Value	50 000 000	300 000 000	9 000 000 000

The Length

Units of measuring length :

$$\text{Km} \times 1000 \rightarrow \text{m} \times 10 \rightarrow \text{dm} \times 10 \rightarrow \text{cm} \times 10 \rightarrow \text{mm}$$

To convert from greatest unit to smallest unit we **Multiplying** . Like

$$3 \text{ Km} = 3000 \text{ m} , 5 \text{ m} = 500 \text{ cm} , 2 \text{ m} = 2000 \text{ mm} , 7 \text{ dm} = 70 \text{ cm}$$

$$\text{mm} \div 10 \rightarrow \text{cm} \div 10 \rightarrow \text{dm} \div 10 \rightarrow \text{m} \div 1000 \rightarrow \text{Km}$$

To convert from greatest unit to smallest unit we **dividing** . Like

$$200 \text{ cm} = 2 \text{ m} , 30\,000 \text{ dm} = 3 \text{ km} , 40 \text{ mm} = 4 \text{ cm}$$

The Area

Units of measuring Area :

$$\text{Km}^2 \times 1\,000\,000 \rightarrow \text{m}^2 \times 100 \rightarrow \text{dm}^2 \times 100 \rightarrow \text{cm}^2 \times 100 \rightarrow \text{mm}^2$$

To convert from greatest unit to smallest unit we **Multiplying** . Like

$$3 \text{ Km}^2 = 3\,000\,000 \text{ m}^2 , 5 \text{ m}^2 = 50\,000 \text{ cm}^2 , 2 \text{ m}^2 = 2\,000\,000 \text{ mm}^2 , 7 \text{ dm}^2 = 700 \text{ cm}^2$$

$$\text{mm}^2 \div 100 \rightarrow \text{cm}^2 \div 100 \rightarrow \text{dm}^2 \div 100 \rightarrow \text{m}^2 \div 1\,000\,000 \rightarrow \text{Km}^2$$

To convert from greatest unit to smallest unit we **dividing** . Like

$$20\,000 \text{ cm}^2 = 2 \text{ m}^2 , 30\,000 \text{ dm}^2 = 300 \text{ m}^2 , 400 \text{ mm}^2 = 4 \text{ cm}^2$$

Example (1) Which is greater in area a rectangle whose dimensions 5 cm and 3cm or a square whose perimeter is 12 cm . **Solution**

$$\text{The area of a rectangle} = \text{length} \times \text{width} = 5 \times 3 = 15 \text{ cm}^2$$

$$\text{The side length of a square} = \frac{\text{perimeter of a square}}{4} = \frac{12}{4} = 3 \text{ cm}$$

$$\text{The area of a square} = \text{side length} \times \text{side length} = 3 \times 3 = 12 \text{ cm}^2$$

The area of a rectangle > The area of a square .

* The triangle whose sides length are 3 cm , 4 cm and 3 cm is called Isosceles triangle .

* Triangle ABC in which $m(\angle A) = m(\angle B) = 45^\circ$ is called Right – angled triangle .and $m(\angle C) = 90^\circ$

$$\text{The sum of the angles } m(\angle A) + m(\angle B) + m(\angle C) = \underline{180^\circ}$$

$$m(\angle C) = \underline{180^\circ - (45^\circ + 45^\circ) = 180^\circ - 90^\circ = 90^\circ}$$