

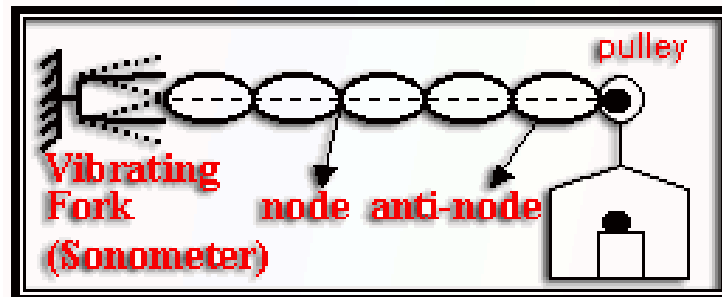
stationary waves

منتدى روضة العلوم الطبيعية

1 - The transverse standing wave : -

Those waves are obtained as a superposition of two waves, they have:

- 1- Same frequency.
- 2- Same amplitude.
- 3- Same speed.



- Opposite in direction.

Where you will observe- :

Node	Anti-node
Where the resultant amplitude equals zero.	Where the resultant amplitude is max.

Wave length of standing wave- :

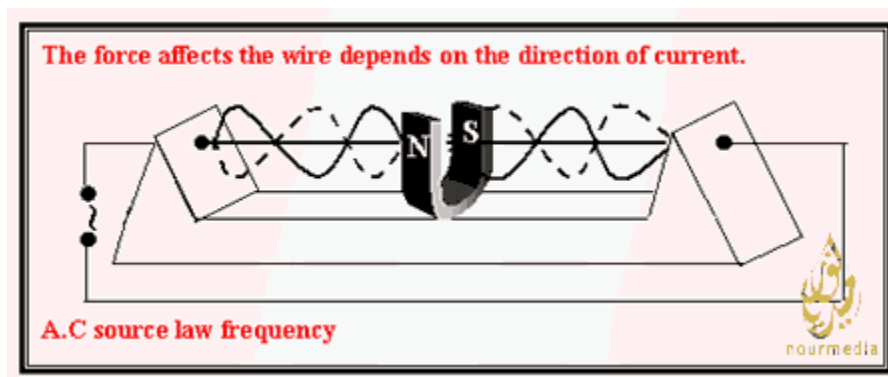
DEFINITION- :

Is twice the distance between two successive nodes or two successive anti-nodes.

Meld's exp. To demonstrate standing wave- :

The apparatus: sonometer as shown in figure.

- When the tuning fork vibrates a wave train travels until it reaches the pulley. Then reflects from it. The incident and reflected waves superimpose forming standing waves consists of nodes and anti-nodes.
- When the tension increases (at const. Frequency (
- Number of segments decrease
- Wave velocity increase
- But wavelength increase



Vibrating string- :

Introduction- :

- 1) Both ends must be nodes because the ends of the string are fixed.

The velocity of propagation of the transverse wave in a stretched string (v)

$$v = \sqrt{\frac{T}{m}}$$

- 3) Where: T is the tension of the spring

- 4)) $T = m' \cdot g$) where m' the weight in the scale pair.

m is the mass per unit length for the string where

$$m = \frac{\text{Total mass of the string}}{\text{Length of the string}}$$

m/s unit is Kg'it

$$\nu_r r p = \frac{\rho \pi r^2 L}{L} = \frac{\rho V}{L} = \frac{m_{total}}{L} = m$$

$$\nu_r r p = m$$

r .density of the string r its radius

:Number of segments depends on the tension (ϵ

- :The fundamental Tone -a

When the vibrating string forms one

It emits its fundamental tone .segment

whose frequency is the smallest

possible frequency on the vibrating

.string

- :The First Harmonic Tone -b

When vibrating string form

.segments by increasing the tension

The .It emits its first harmonic tone

frequency of the first harmonic is

.twice the frequency of the fundamental

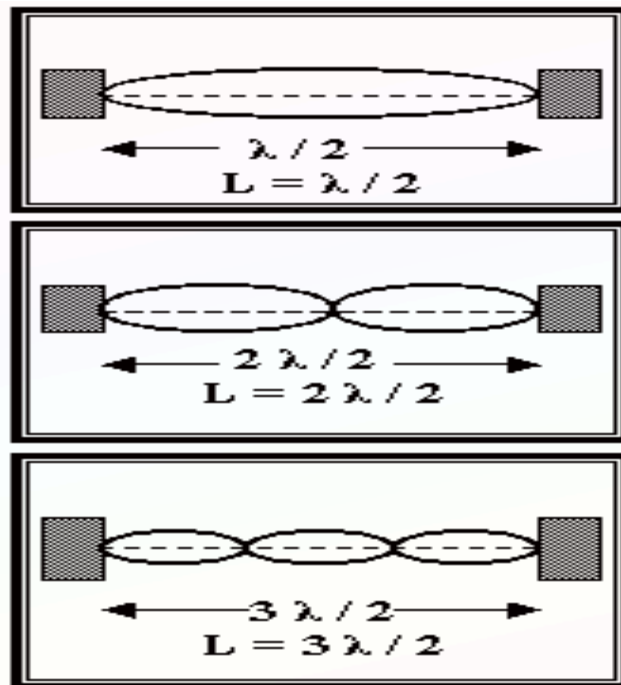
- :The Second Harmonic Tone -c

The string vibrates in the form of

.d harmonicthree segments and emits its secon

Its frequency is three times the

.frequency of the fundamental



and wave (n)number of segments , (L)The relation between the length
 - : (l) length
 (General law of strings)

$$\frac{n\lambda}{2} = L$$

$$\frac{2L}{n} = \lambda$$

$$g \cdot l = v \quad \text{But}$$

$$\sqrt{\frac{T}{m}} = v \quad \text{But}$$

$$\sqrt{\frac{T}{m}} = v \times \frac{2L}{n}$$

$$\sqrt{\frac{T}{m}} \times \frac{n}{2L} = v$$

When $n=1$ the string emits its fundamental tone with

T

.frequency

When $n=2$.The frequency of the first harmonic

When $n=3$.The frequency of second harmonic

- :Note

:The ratio between frequencies - 1

$$\begin{array}{ccccccc} \dots & : & 1 & : & 2 & : & 3 & : & 4 & : & 5 & : & 6 & : & 7 & : & 8 & : & 9 & : & 10 \\ \dots & : & 1 & : & 2 & : & 3 & : & 4 & : & 5 & : & 6 & : & 7 & : & 8 & : & 9 & : & 10 \end{array}$$

.The factors affecting the fundamental frequency of a stretched string - 2

$$u = \frac{n}{2L} \sqrt{\frac{T}{m}}$$

Length

Tension

mass per unit length

$$u \propto \frac{1}{L}$$

$$u \propto \sqrt{T}$$

$$u \propto \frac{1}{\sqrt{m}}$$

$$\frac{v_1}{v_2} = \sqrt{\frac{T_1}{T_2}} \quad \frac{v_1}{v_2} = \frac{L_2}{L_1}$$

$$r_p = m - r$$

$$\frac{r_2}{r_1} = \frac{v_1}{v_2} = \sqrt{\frac{\rho \pi r_2^2}{\rho \pi r_1^2}}$$

.for the same material

and diameter affect the frequency because m depends on Both density
 .them

- : (1) Example

N and its mass per unit $\epsilon \dots = A$ stretched string is stretched by a force
 Then .Find the velocity of a sound wave through it .Kgm $\epsilon, \dots, \epsilon =$ length
 over tone rd find its length if it is
 .Hz $\epsilon \dots =$ has a frequency

- : Solution

$$s / m \quad \epsilon \dots = \frac{20}{0.01} = \sqrt{\frac{400}{0.0001}} = \sqrt{\frac{T}{m}} = V$$

$$m \quad \epsilon, \epsilon = \frac{2000}{4000} = \frac{V}{v} = \lambda \quad v \lambda = V$$

$$m \quad \epsilon = \frac{4 \times 0.5}{2} = \frac{n\lambda}{2} = L \quad \lambda = \frac{2L}{n}$$

- : (2) Example

Compare between the frequency of two stretched strings the ratio between
 r tension is the ratio between their ϵ, ϵ : ϵ their lengths is
 when they $\epsilon : \epsilon$ and the ratio between their mass per unit length is $\epsilon : \epsilon$

.emit the fundamental music note

- : Solution

$$\frac{\frac{1}{2L_1} \sqrt{\frac{T_1}{m_1}}}{\frac{1}{2L_2} \sqrt{\frac{T_2}{m_2}}} = \frac{v_1}{v_2}$$

$$\frac{L_2}{L_1} \times \sqrt{\frac{T_2}{T_1}} \times \sqrt{\frac{m_2}{m_1}} =$$

$$\sqrt{\frac{4}{1}} \times \sqrt{\frac{9}{1}} \times \frac{1}{2} = \frac{v_1}{v_2}$$

$$1 : 3 = \sqrt{u} : \sqrt{u}$$

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